

Operation Hydrometeors

—

An **efficient** volume scan polarimetric radar
forward OPERATOR to improve the
representaTION of HYDROMETEORS in the
COSMO/ICON model

J. Mendrok, U. Blahak (DWD)

- What?

- Why?

- Approach

- Status

- Outlook

„An efficient volume scan polarimetric radar **forward OPERA**tor to improve the representaTION of HYDROMETEORS in the COSMO/ICON model“

→ Forward operator

- synthetic observations from atmospheric state:
- what would an certain observation look like for a given atmospheric state?

„An efficient volume scan polarimetric radar forward OPERATOR to improve the representatiON of HYDROMETEORS in the **COSMO/ICON model**“

→ Forward operator

- synthetic observations from atmospheric state

→ COSMO/ICON model

- NWP atm. fields (qx, nx, T, ...)
- hydrometeor microphysics

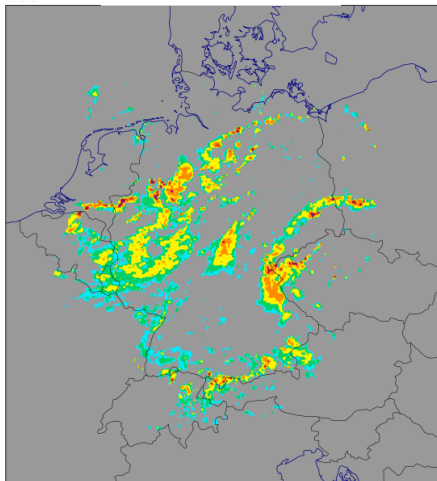
„An efficient volume scan polarimetric radar forward OPERator to **improve the representaTION of HYDROMETEORS** in the COSMO/ICON model“

→ „FO is a fundamental prerequisite for the fusion of radar polarimetry and atmospheric modelling“

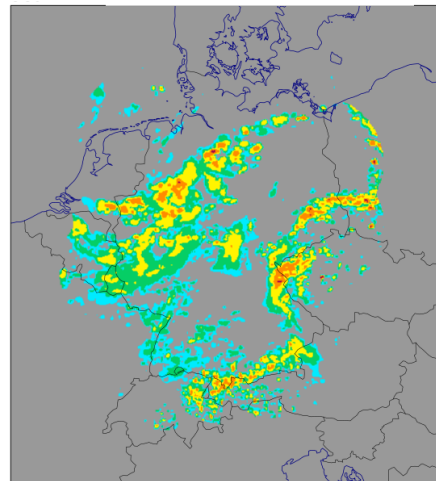
→ Model validation

- Forecast/analysis-based FO-derived synthetic observations vs real observations

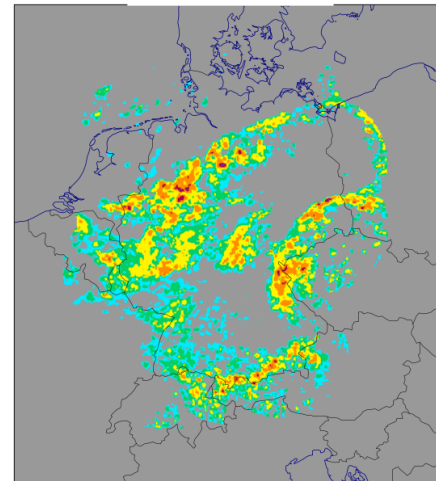
Observation



Oper. 1-moment



2-moment

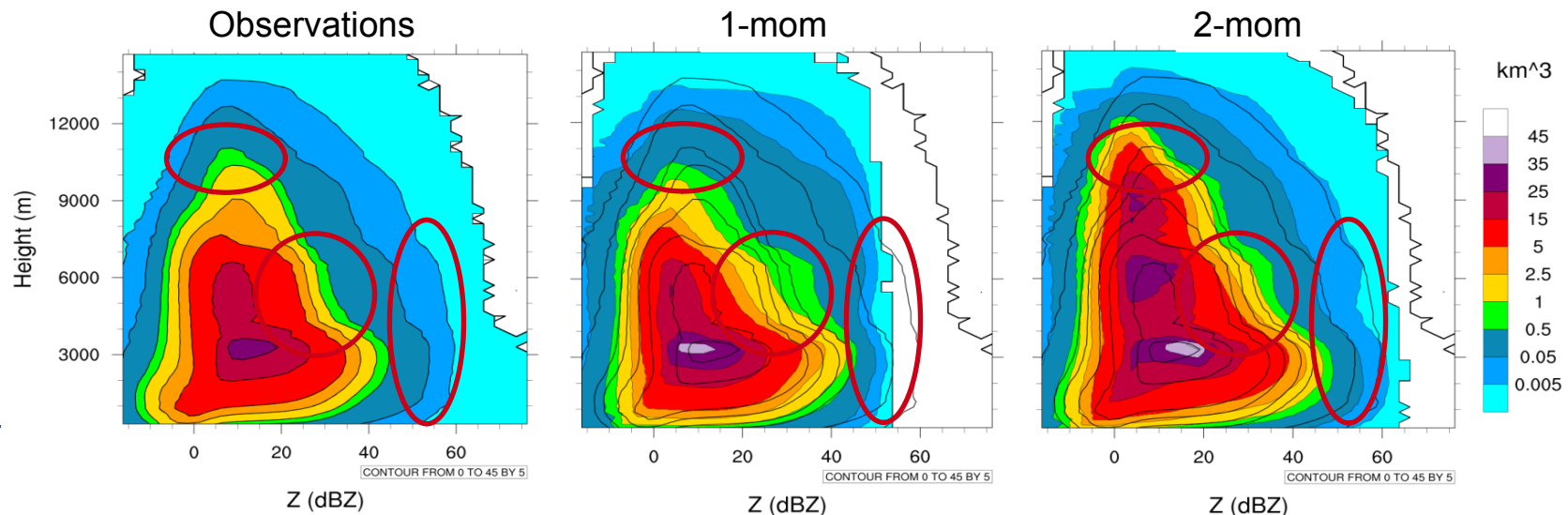


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„An efficient volume scan polarimetric radar forward OPERA^Tor to **improve the representaTION of HYDROMETEORS** in the COSMO/ICON model“

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- Model validation
 - Forecast/analysis-based FO-derived synthetic measurements
vs real measurements

 - FO challenges:
 - Accuracy
 - Assumptions due to „incomplete“ NWP atm. state

Approach: Extend operational sing-pol FO

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- **E**fficient **M**odular **V**olume scan **R**ADar **O**perator
- Framework for **efficient and yet accurate** simulation of **radar volume data of entire networks** in a modular and highly configurable way
- **Consistent to assumptions on particles in microphysics** (PSDs, mass-size, vel-size), but no subgrid-scale clouds (e.g., parameterized cumulus or stratocumulus)
- **Physics options** for reflectivity and radial wind simulation:
 - Beam propagation, beam function smoothing, beam blockage
 - Mie- or Rayleigh scattering, attenuation
 - **Partially melted particles** (1- and 2-layer particles)
- **Lookup tables for Mie-scattering** for efficiency
- Parallel code, **online coupled to both COSMO- and ICON** models, or applicable offline to 3D model state data stored on disc
- Simulated volume scans (range, azimuth, elevation)

Approach: Polarimetry theory

EMVORADO

→ $Z = f(\beta_b)$, $A = f(\beta_e)$

2 real

→ „Mie“-LUTs

- Z , A
per hydrometeor type
- $f(q_x, T, [\text{melt fraction}])$

i.e. **one value** each
per model grid point or radar bin

EMVORADO-POL

→ $Z_h, Z_{DR}, L_{DR}, \rho_{hv}, K_{DP}, A_h, A_{DP}$

= $f(\mathbf{s}^{f/b}_{hh}, \mathbf{s}^{f/b}_{vv})$

at least 8 real

= $f(\mathbf{Z}, \mathbf{K})$

(additivity!)

→ „Mie“-LUTs

- 8 additive real-number parameters
per hydrometeor type
- $f(q_x, T, [\text{melt fraction}], [\text{elev ang}, \dots])$

→ further „incomplete-NWP“ assumptions

- shape: **aspect ratio** $f(D)$?
- orientation: **canting (distrib)** $f(?)$?

i.e. one value each per radar bin,
elev-dep. values at model grid points



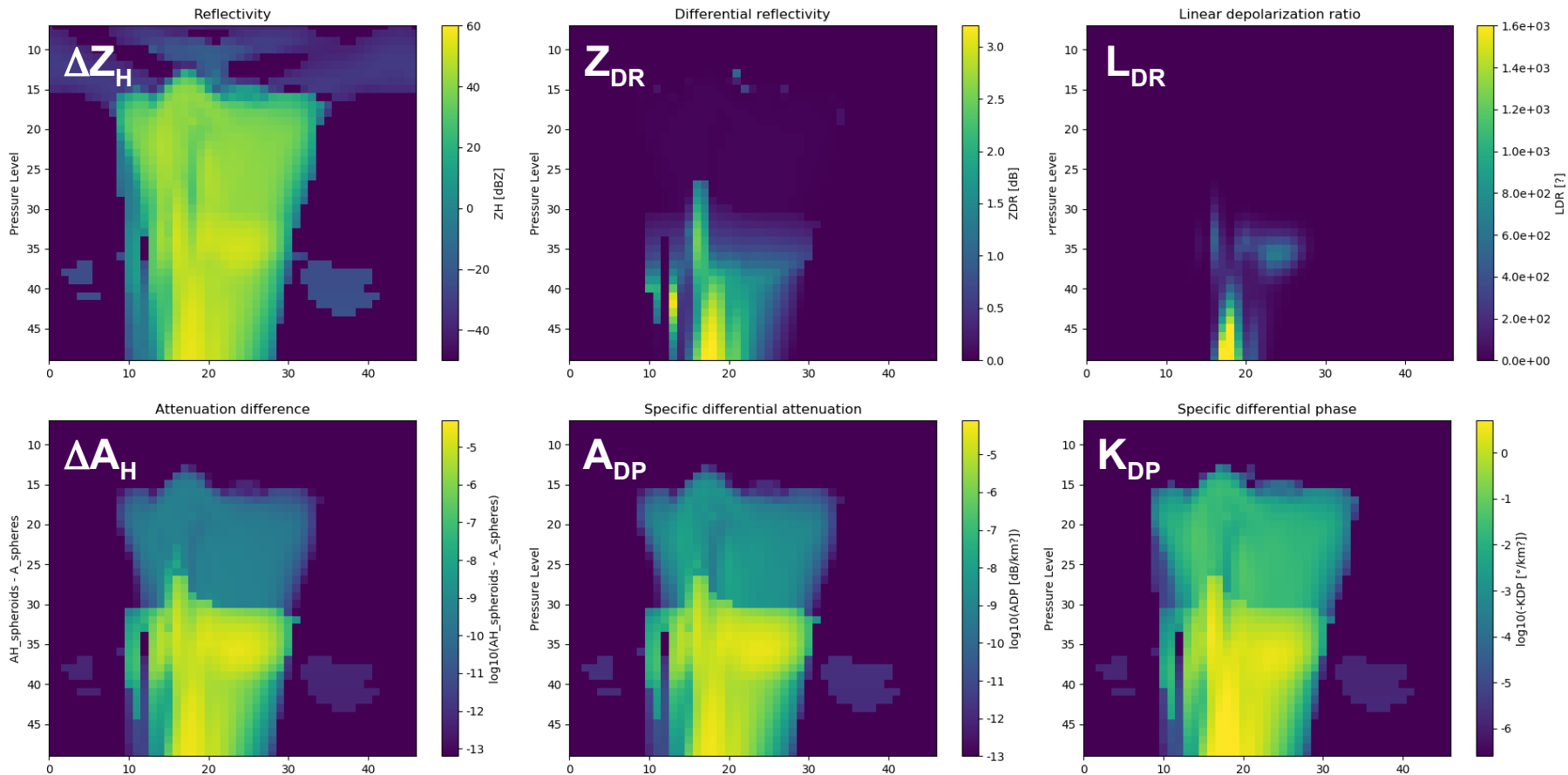
→ „Quick start“ applying 3rd party pol-module:

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- J.Snyder (NSSL) EMVORADO extention
 - T-matrix interface
 - $\beta_x \rightarrow S_{a/b}^{f/b}$ (oblates only)
 - $Z, A \rightarrow Z_h, Z_{DR}, L_{DR}, (\rho_{hv}), K_{DP}, A_h, A_{DP}$ (incl. use in LUTs :-/)
 - orientation: [Ryzhkov11] angular moments and distribution parameters
- Status:
 - Merged into current EMVORADO & running & **testing**

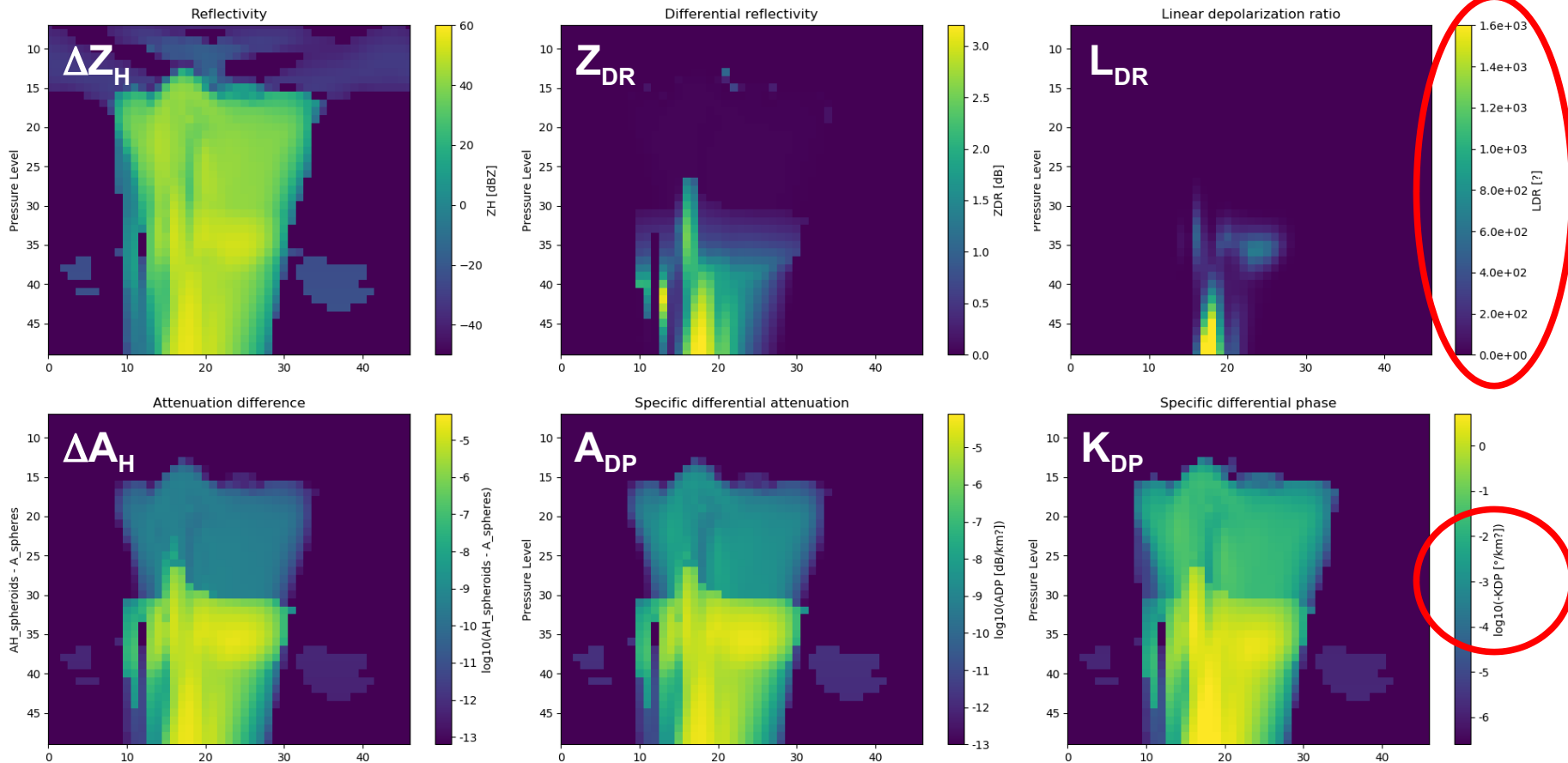
➔ „Quick start“ applying 3rd party pol-module: Testing (! slightly outdated !)

- Radar parameter curtains of a „warm bubble“ scene: **Reasonable patterns**



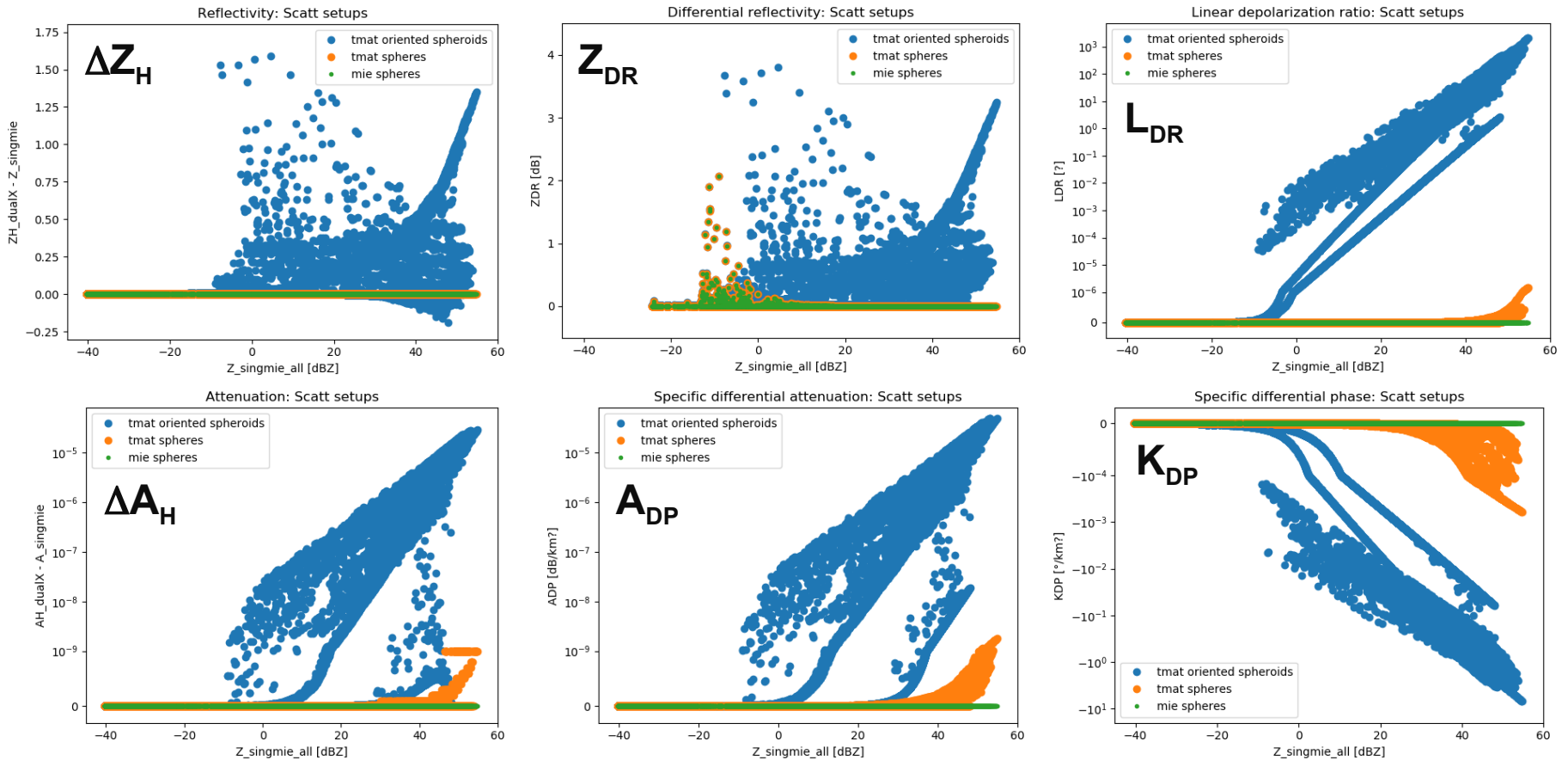
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- Radar parameter curtains of a „warm bubble“ scene: Reasonable patterns, **but...**



➔ „Quick start“ applying 3rd party pol-module: Testing (! slightly outdated !)

- **polEMV (spheroid)** : **polEMV (tmat-spheres)** : **polEMV (mie)** : **opEMV (mie)**



→ „Quick start“ applying 3rd party pol-module: Testing (! slightly outdated !)

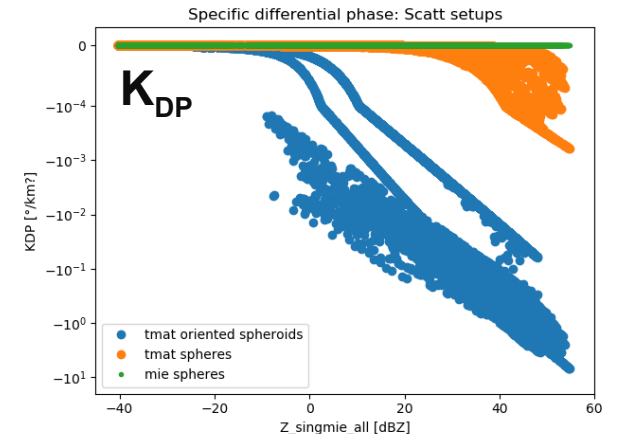
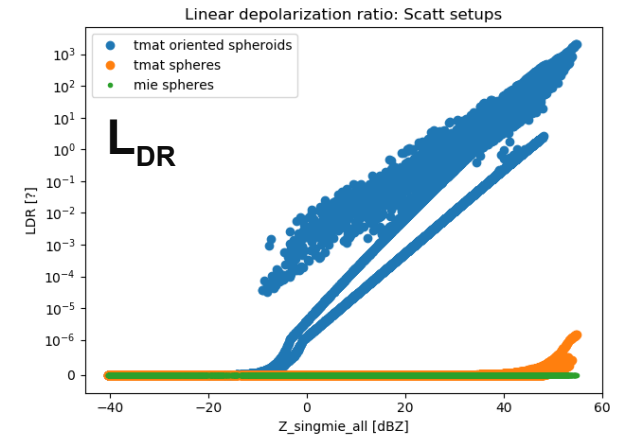
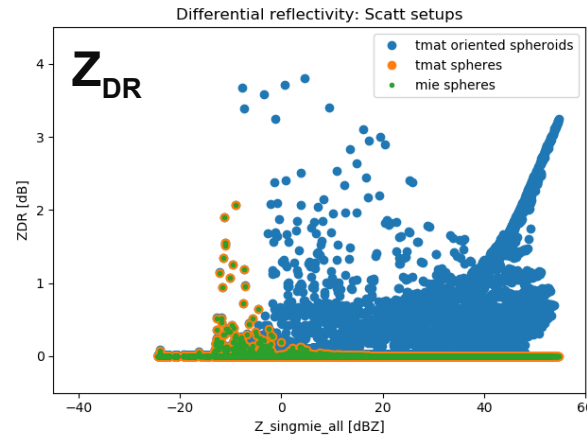
- **poEMV (spheroid)** : **poEMV (tmat-spheres)** : **poEMV (mie)** : **opEMV (mie)**

- tests vs opEMV & Mie ok:
 - polarimetric parameters ~ 0 (except Z_{DR} at low Z_H)
 - tmat-spheres \sim mie-spheres

- unit (?) issues in L_{DR} and K_{DP}

- empty ρ_{hv}

- known or expected issues (not tested or shown here):
 - additivity
 - elevation angle dependence



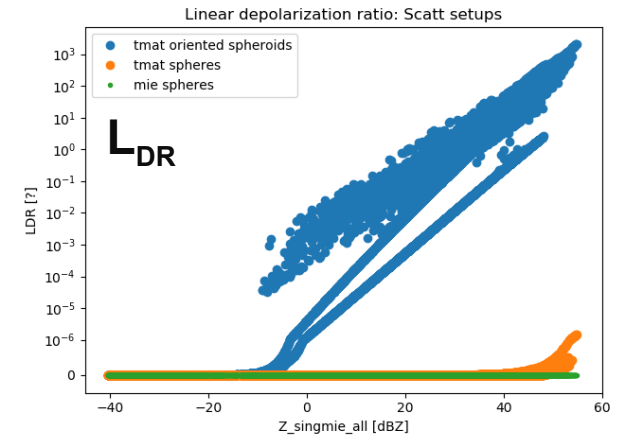
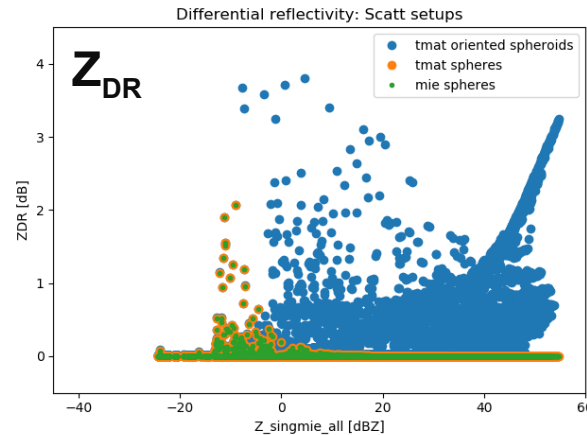
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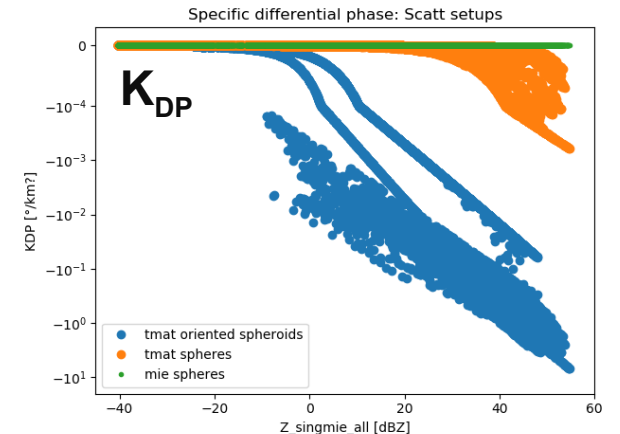
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→ Status update:
most of these fixed or fixing, but not yet re-tested



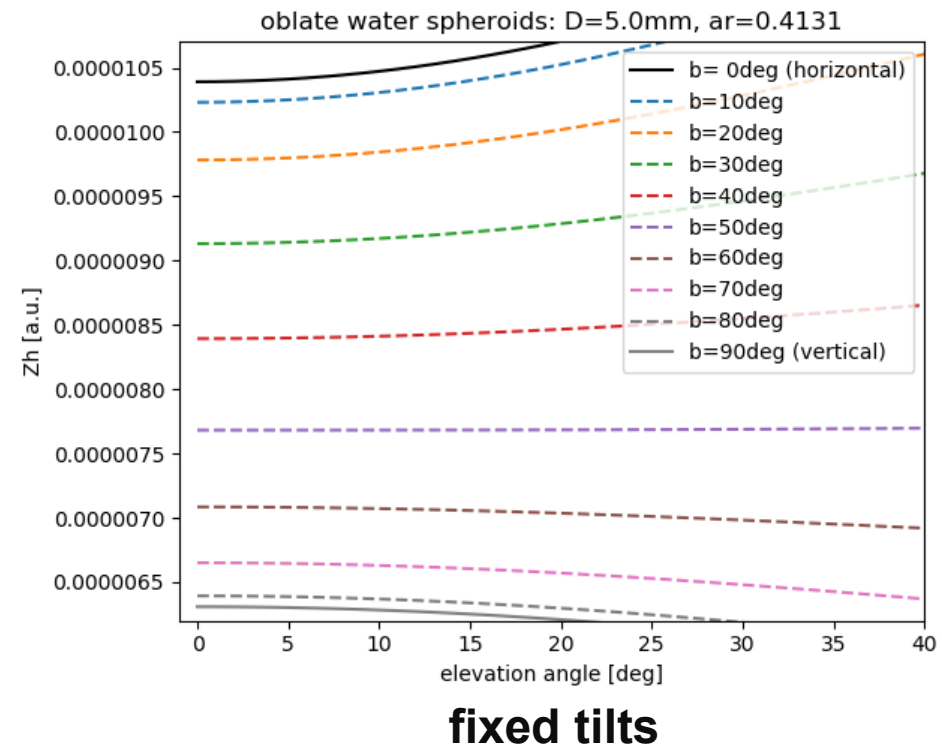
- Q: How much does this affect the polarimetric parameters?
(And how good are some common approximations these?)

- M: single-particle case study of a rain drop
 - $De = 5.0\text{mm}$
 - $ar \sim 0.4$ (oblate) ($ar_{pro} = 1/ar_{obl}$)
 - $m \sim (8.4, -2.2)$

Status: Orientation & elevation effects

De = 5.0mm
ar ~ 0.4
m ~ (8.4, -2.2)

→ Orientation effects (over elevation...): **Zh**

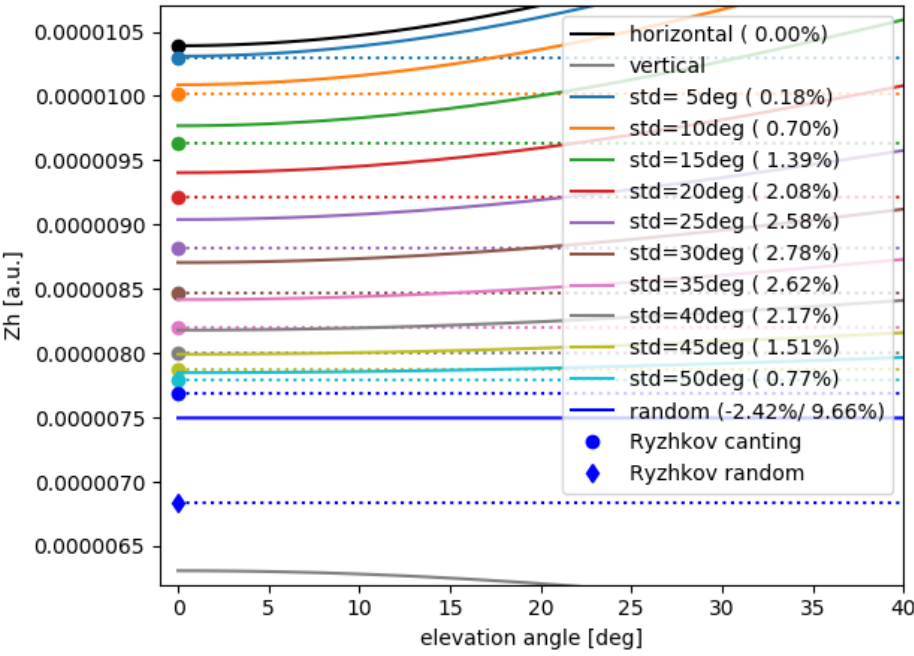


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→ Orientation effects (over elevation...): Zh

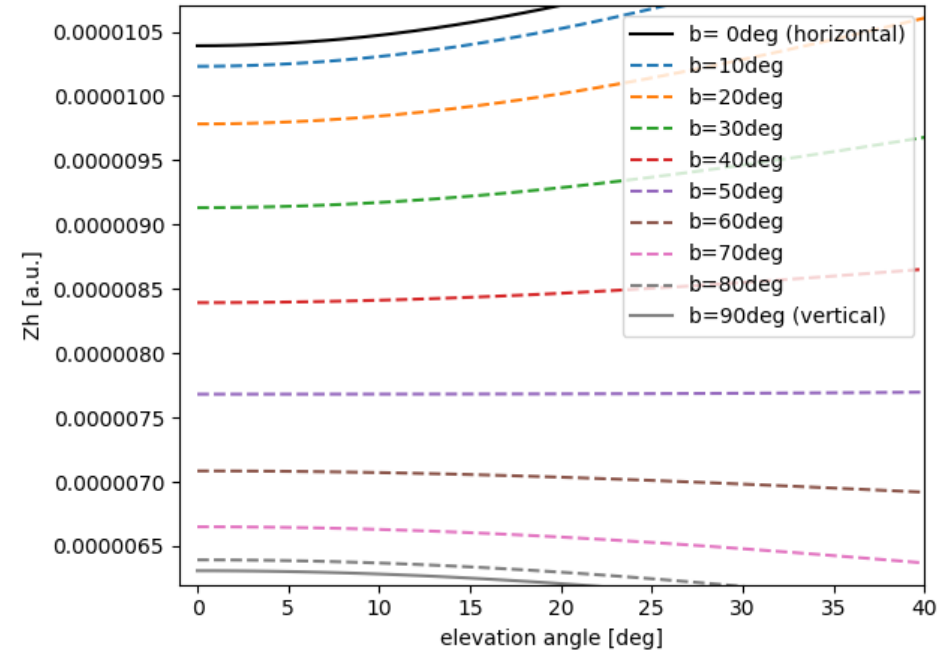
- explicit orientation averaging (–) vs. angular moment approach (o)
- explicit averaging (ea) verified vs. Mishchenko total-random Tmatrix and vs. „oriented“ spheres

oblate water spheroids: D=5.0mm, ar=0.4131



tilt distributions

oblate water spheroids: D=5.0mm, ar=0.4131



fixed tilts

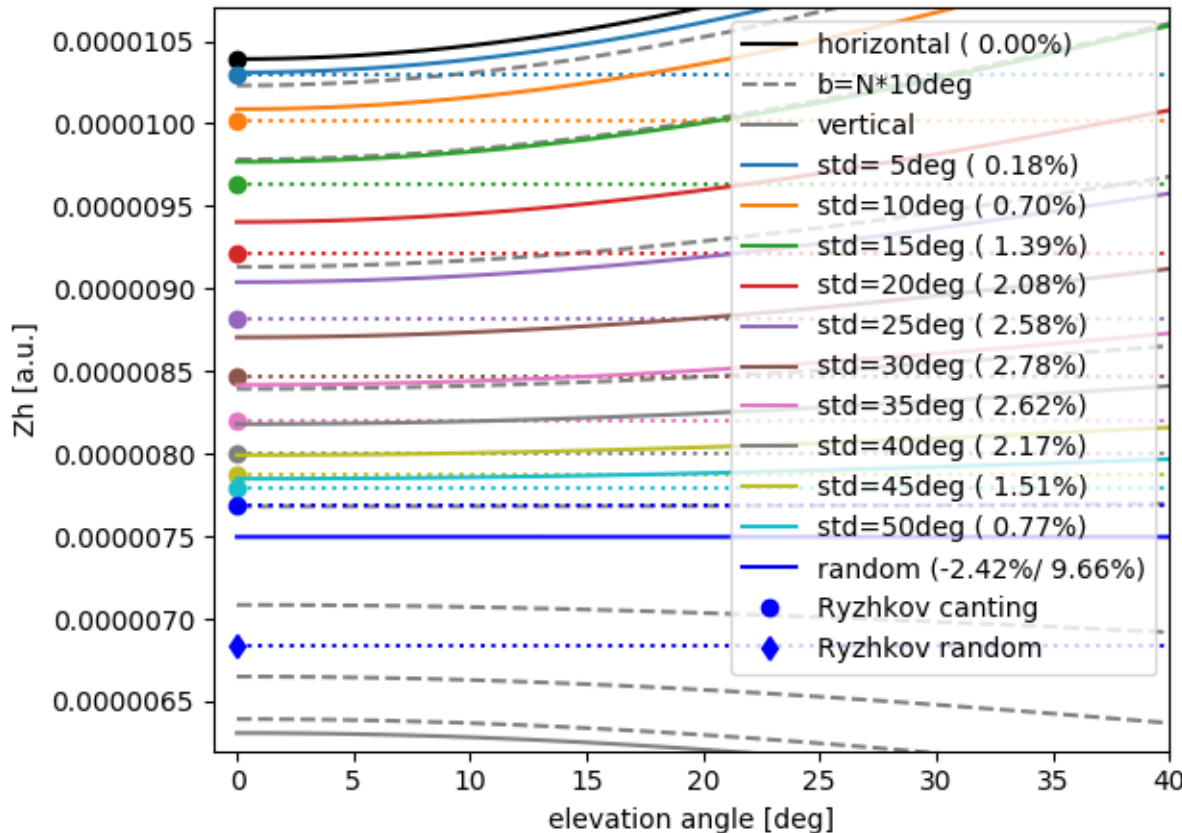


De = 5.0mm
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→ Orientation effects (over elevation...): Zh

- explicit orientation averaging (—) vs. angular moment approx. (o)

oblate water spheroids: D=5.0mm, ar=0.4131



- difference of $Zh(\beta=0)$ and $Zh(\beta\text{-std}=40^\circ) \sim 25\%$
- [Ryzhkov11] angular moments (A) approximate orientation effects
- deviations in $Zh(0)$ small, but equivalent-std offset up to 5°
- for $\text{std} \leq 50^\circ$, $Zh(A) < Zh(ea)$
- using $Zh(0)$ for all $Zh(\text{elev})$ amplifies the underestimation
- total-random A-approximation is worse than azimuthally-random with large std!?!?



- Beyond the „Quick start“: **own/re-done PoIEMVORADO module**
- improve code structure / modularisation (avoid Mie & Tmat entangling...)
 - revised set of internal and LUT parameters (additivity!!!)
 - opening up for other (less approximative) options / variants
 - user-controlable hydrometeor orientation (&shape?)
 - explicit orientation averaging (from efficient Tmat use)
 - consideration of elevation angle dependence
 - arbitrarily shaped particles
 - other scatt data sources (than Mie&Tmat → ScattDBs!)
 - ...
- **Focus on accuracy before focus on efficiency!**

Thank you for
your attention!

Additional Slides...

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23.10.2019 – PROM Meeting, Bonn



SPP 2115

Approach: Polarimetry theory

| Name | Symbol [unit] | Formula(s) |
|--|--|---|
| <u>reflectivity factor at horizontal polarization</u> | Z_h [mm ⁶ m ⁻³] | $\propto \sigma_{hh}$ $\propto S_{hh} ^2$ $\propto Z_{11}-Z_{12}-Z_{21}+Z_{22}$ |
| | Z_H [dBZ] | $= 10 \log_{10}(Z_h)$ |
| <u>reflectivity factor at vertical polarization</u> | Z_v [mm ⁶ m ⁻³] | $\propto \sigma_{vv}$ $\propto S_{vv} ^2$ $\propto Z_{11}+Z_{12}+Z_{21}+Z_{22}$ |
| | Z_V [dBZ] | $= 10 \log_{10}(Z_v)$ |
| <u>Difference reflectivity</u> | Z_{DP} [mm ⁶ m ⁻³] | $= Z_h - Z_v $ $\propto Z_{12} + Z_{21}$ |
| <u>Differential reflectivity</u> | Z_{DR} [dB] | $= Z_h / Z_v = Z_H - Z_V = \sigma_{hh} / \sigma_{vv}$ $= S_{hh} ^2 / S_{vv} ^2$ $= (Z_{11}-Z_{12}-Z_{21}+Z_{22}) / (Z_{11}+Z_{12}+Z_{21}+Z_{22})$ |
| <u>Linear depolarization ratio</u> | LDR [-] | $= \sigma_{hv} / \sigma_{vh}$ $= S_{hv} ^2 / S_{vh} ^2$ $= (Z_{11}-Z_{12}+Z_{21}-Z_{22}) / (Z_{11}-Z_{12}-Z_{21}+Z_{22})$ |
| <u>Co-polar (also: cross) correlation coefficient</u> | ρ_{hv} [-] | $\propto S_{hh} S_{vv}^* / (\sigma_{hh} \sigma_{vv})^{1/2}$ $= ((Z_{33}+Z_{44})^2 + (Z_{43}-Z_{34})^2)^{1/2} / (\sigma_{hh} \sigma_{vv})^{1/2}$ |
| <u>Backscatter differential phase</u> | δ_{hv} [°] | $= \arg(S_{hh} S_{vv}^*)$ $= \arctan((Z_{43}-Z_{34}) / (Z_{33}+Z_{44}))$ |
| <u>Specific differential phase</u> | K_{DP} [°/km] | $\propto \text{Re}(S_{hh}^0 - S_{vv}^0)$ $\propto K_{34}$ |
| <u>Differential phase shift</u> | Φ_{DP} [°] | Path integral of K_{DP} |
| <u>Specific attenuation at horizontal polarization</u> | A_h [dB/km] | $\propto \text{Im}(S_{hh}^0)$ $\propto K_{11} - K_{12}$ |
| <u>Specific attenuation at vertical polarization</u> | A_v [dB/km] | $\propto \text{Im}(S_{vv}^0)$ $\propto K_{11} + K_{12}$ |
| <u>Specific differential attenuation</u> | A_{DP} [dB/km] | $\propto \text{Im}(S_{hh}^0 - S_{vv}^0)$ $\propto K_{12}$ |

➔ Possible LUT parameter sets:

- $\sigma_{hh}, \sigma_{vv}, \sigma_{hv},$
 $\text{Re}(S_{hh} S_{vv}^*), \text{Im}(S_{hh} S_{vv}^*),$
 $\text{Re}(S_{hh}^0 - S_{vv}^0),$
 $\text{Im}(S_{hh}^0), \text{Im}(S_{vv}^0)$
- $Z_{11}, Z_{12}, Z_{22},$
 $Z_{33} + Z_{44}, Z_{43} - Z_{34},$
 K_{11}, K_{12}, K_{34}

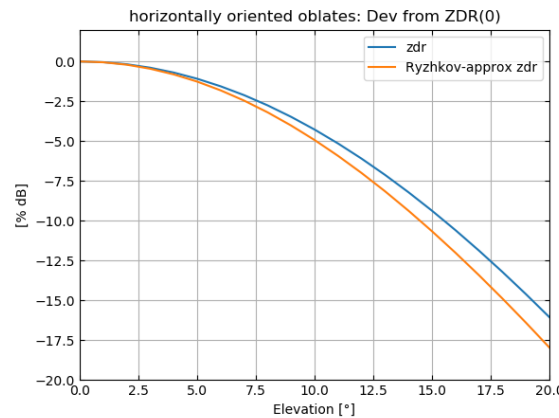
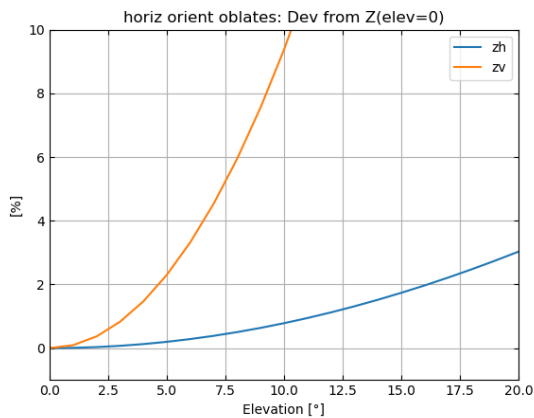
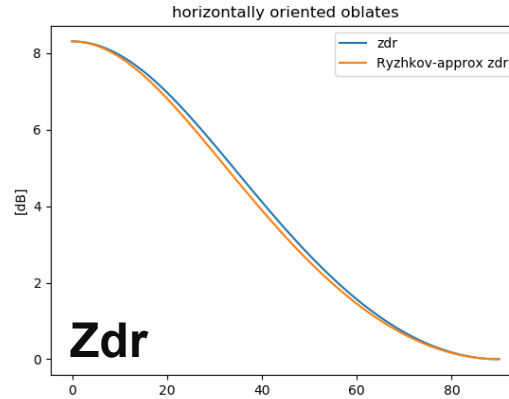
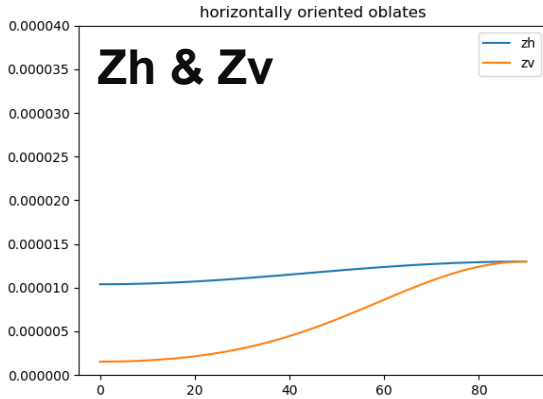
➔ select/design set (easily)
derived from **S** and **Z/K** data



Status: Orientation & elevation effects

De = 5.0mm
ar ~ 0.4
m ~ (8.4, -2.2)

➔ Elevation effects perfectly **horizontally** (and vertically) oriented particles:

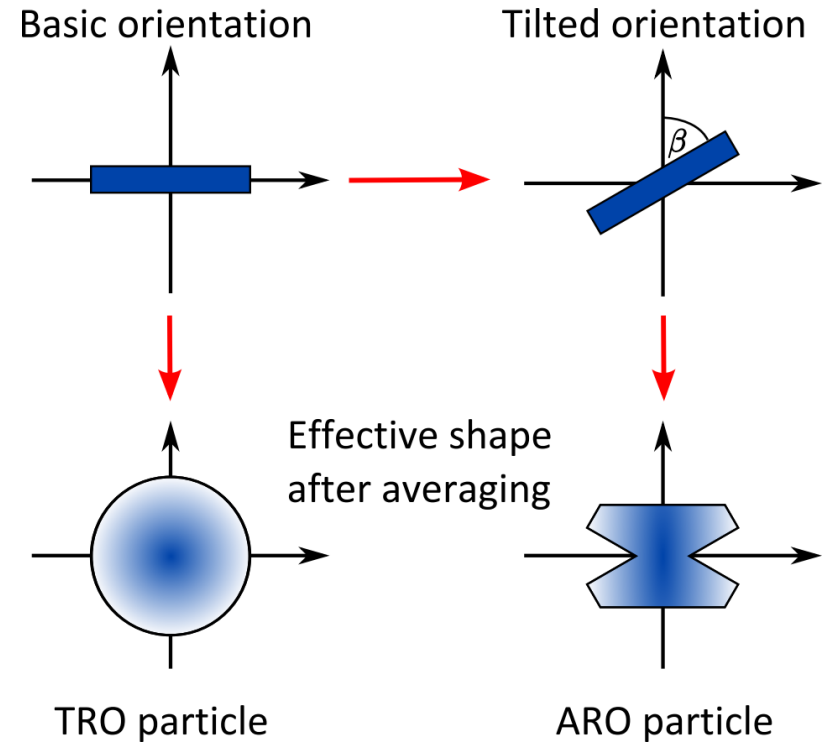


Non-spherical particles

→ appear different when oriented differently or when observed from different direction

→ are typically assumed to be oriented

- azimuthally randomly ($p_\alpha = p_\gamma = 1/2\pi$)
- with largest dimension
 - horizontally on average (mean canting = 0°)
 - with canting probability distribution ($p_\beta = f(\beta)$)

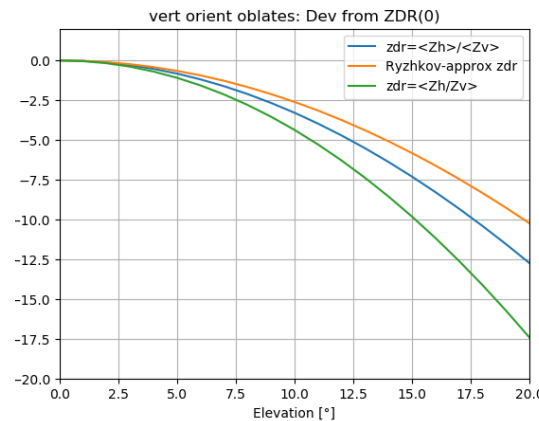
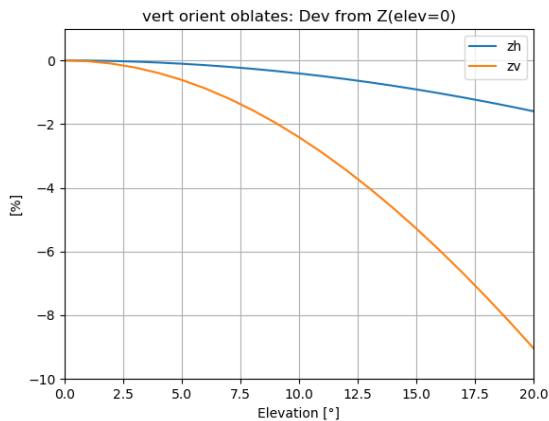
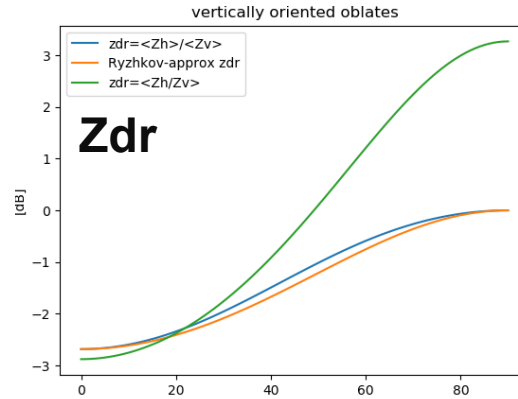
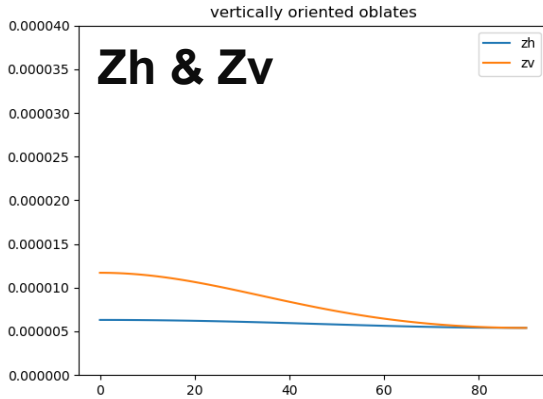


courtesy of
Brath et al., 2019 (AMTD)

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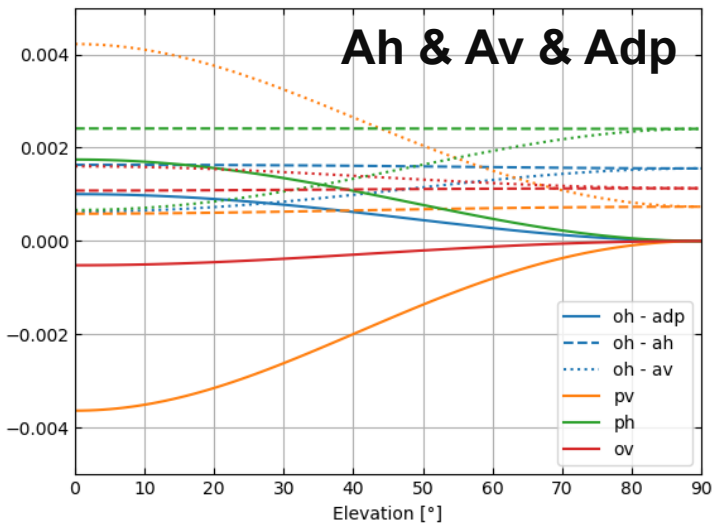
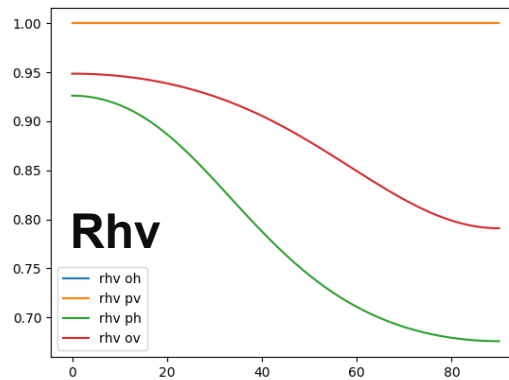
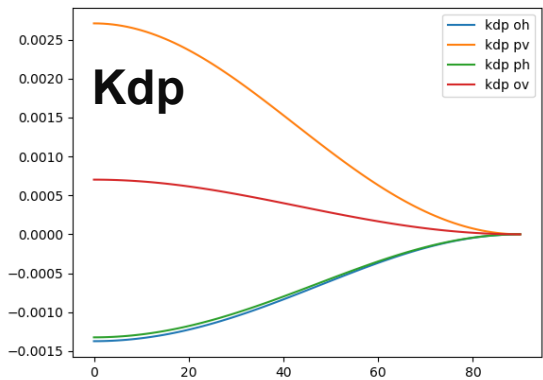


- low variation in Zh at elev<25°
- ≥10% variation in Zv, ~20% in Zdr
- Ryzhkov16-Zdr works well over all elevs
- even for vertically oriented oblates
- largest devs at medium elevs

Status: Orientation & elevation effects

De = 5.0mm

➔ Elevation effects perfectly **horizontally** (and **vertically**) oriented particles: $a_r \sim 0.4$
 $m \sim (8.4, -2.2)$



- Ryzhkov16 approx only for Zdr, but desirable for other parameters, too
- all params show some kind of „sin-like“ behaviour
- 2-pt sin-fit (not shown) works very well over (d)elevs <25°

